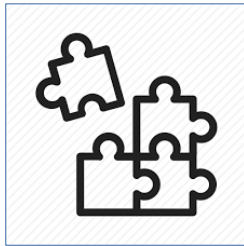
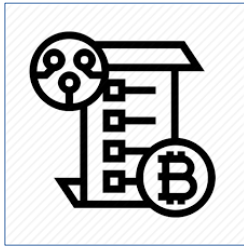
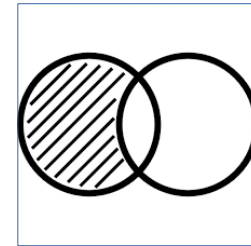


# Cloud Computations Integrity Certification Protocol



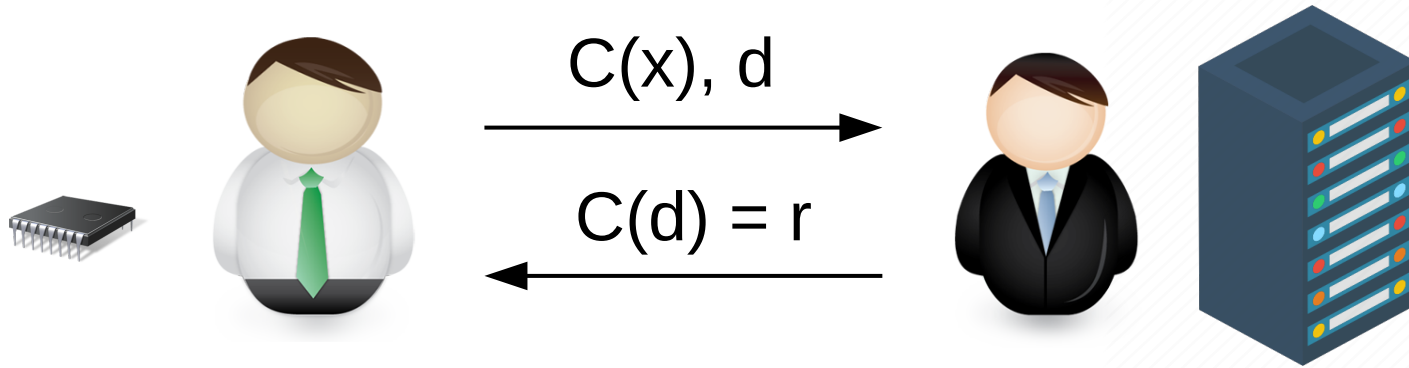
Evgeny Shishkin  
Evgeny Kislitsyn



  
**infotecs**®



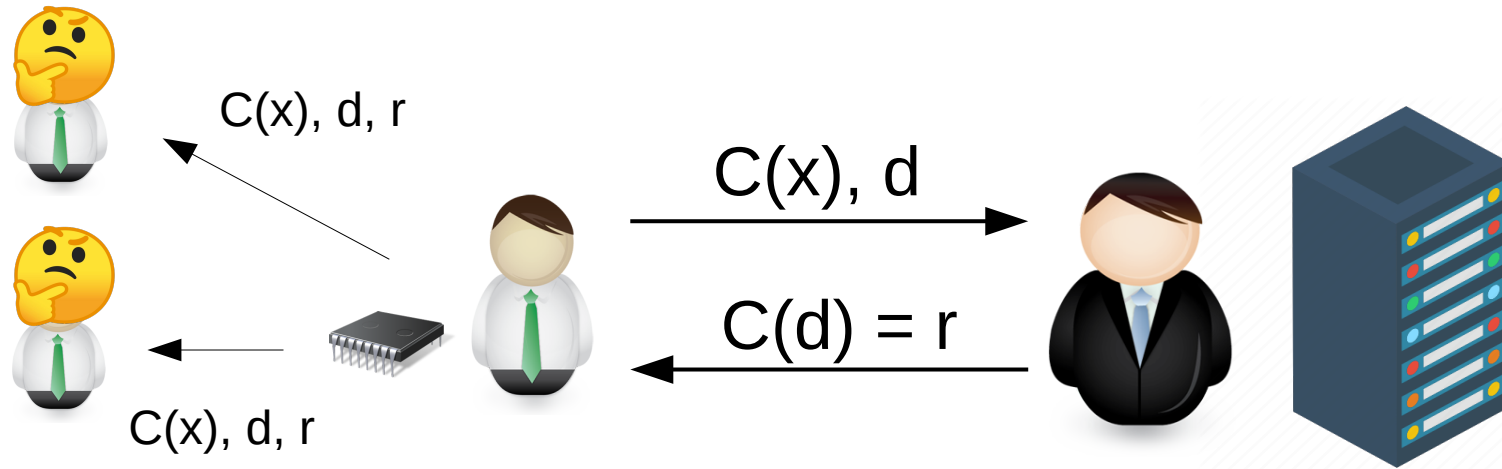
# The Problem



- How can we ensure that computation  $C(d)$  was performed correctly?

Correctly = semantics of  $C(x)$  has not been distorted by the computation provider neither intentionally (malicious party), nor by accident (software, hardware bugs).

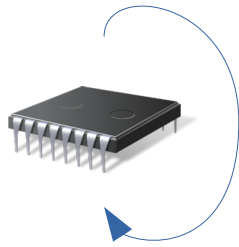
# More General Problem



- How can we ensure that  $C(d)$  was computed correctly?
- How to assure other users that  $C(d)=r$  was computed correct and do it fast?

# Approaches

Repeat computation

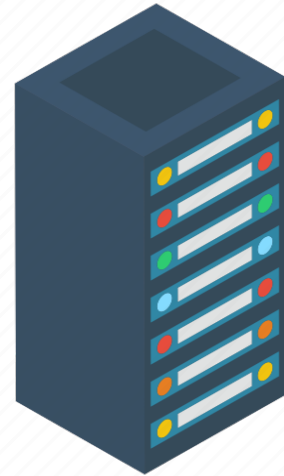


$C(d) = r ?$



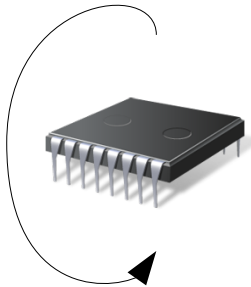
$C(x), d$

$C(d) = r$



# Approaches

Digital Signature  $\stackrel{?}{=} \text{Trust}$



Check(sigR)  $\stackrel{?}{=} \text{True}$



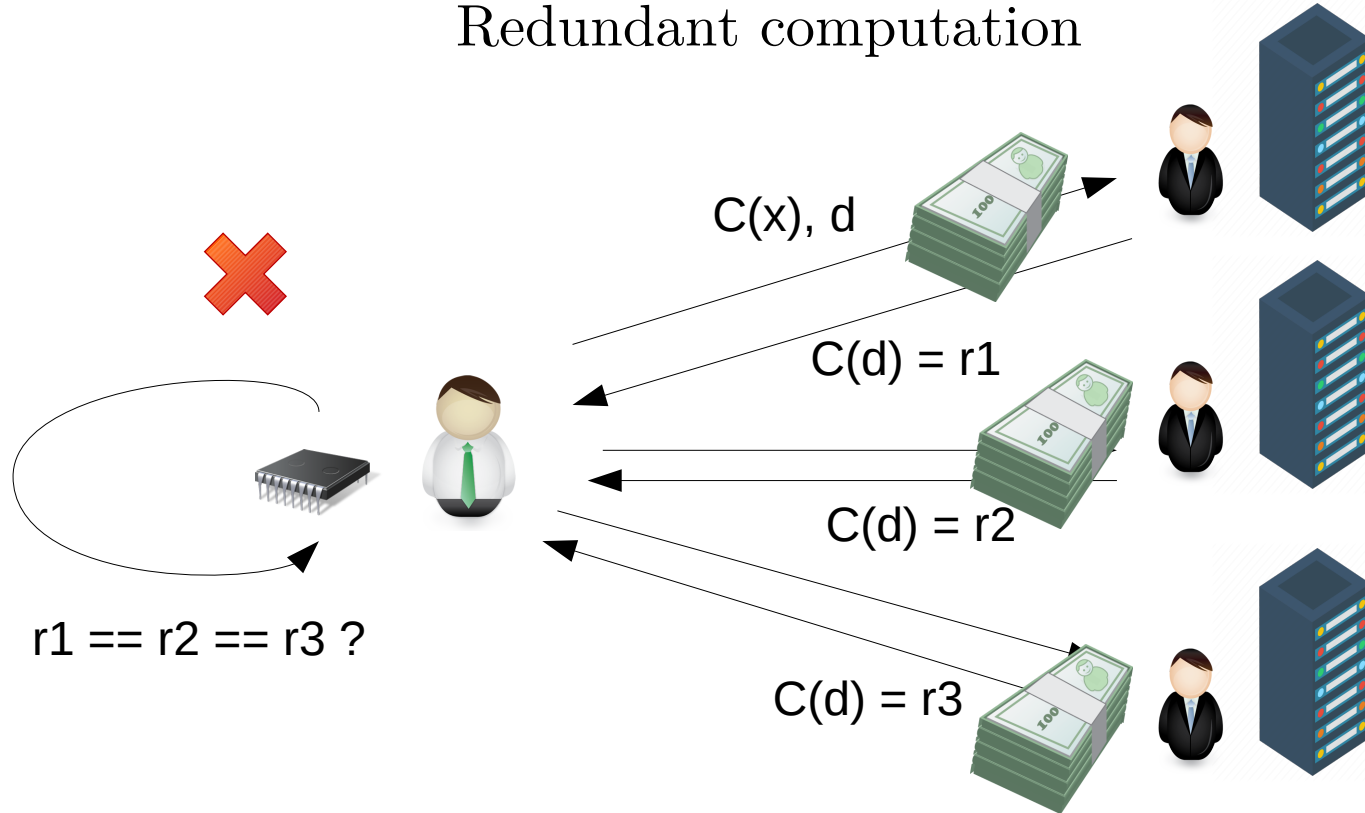
$C(x), d$

$C(d) = r$   
 $\text{sig}(r) = \text{sigR}$



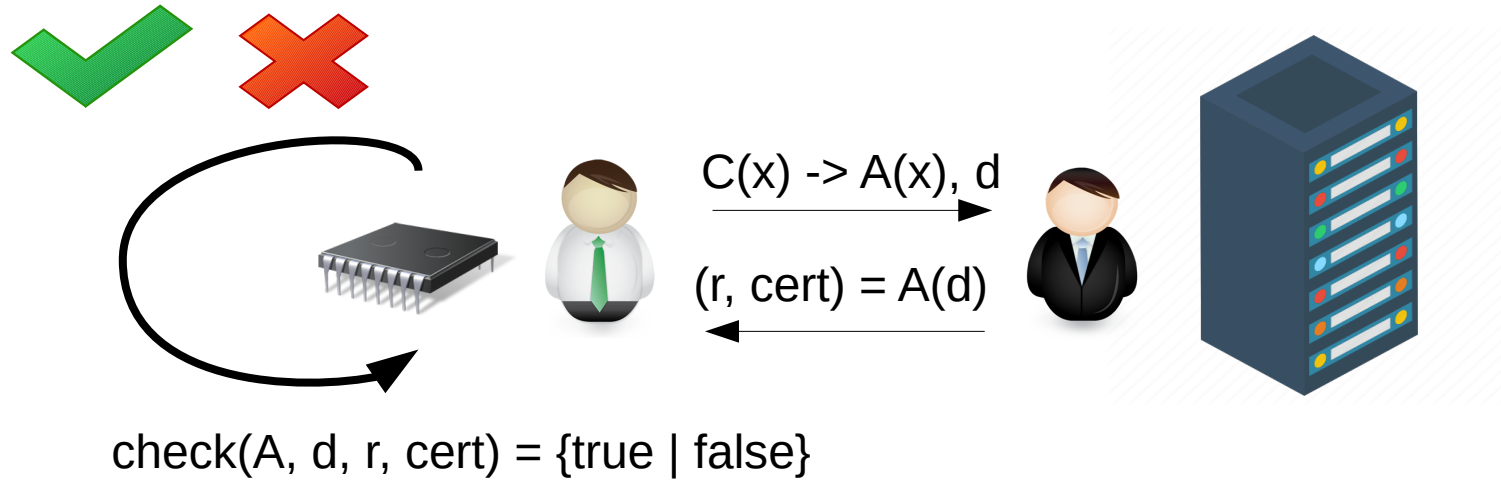
# Approaches

Redundant computation

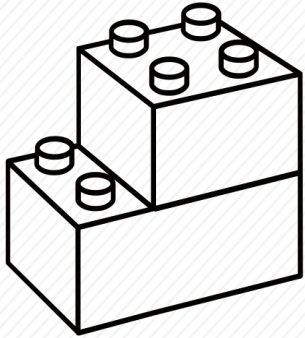


# Approaches

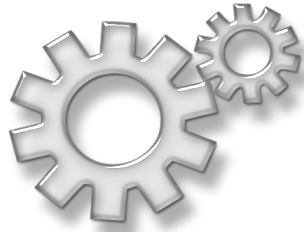
Approaches based on PCP-theorem



# Blockchain Protocols Properties



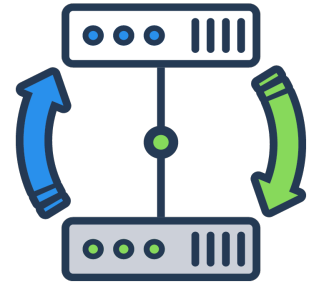
**Immutable**  
business logic  
programmed  
as a smart-  
contract



**Transparent**  
data and  
transactions



**Value Exchange**  
within the system

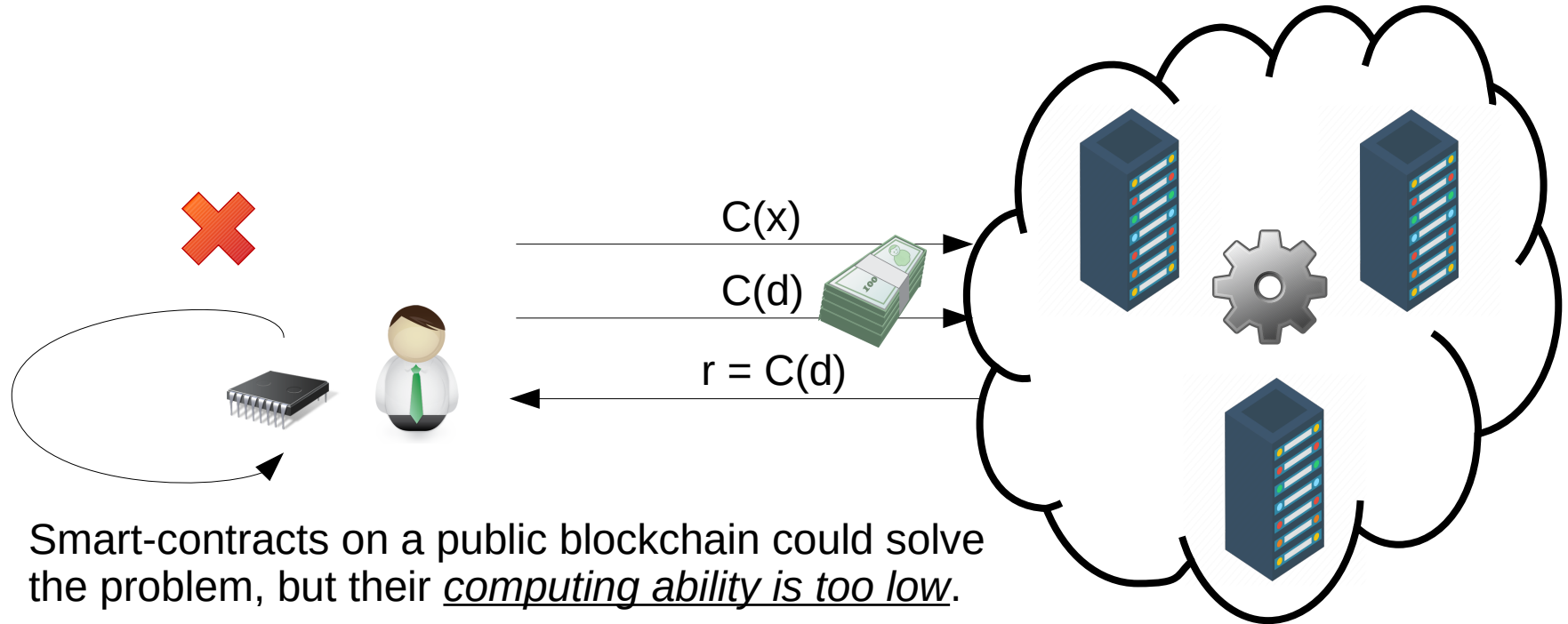


**High Availability**  
Massive  
Fault-Tolerance



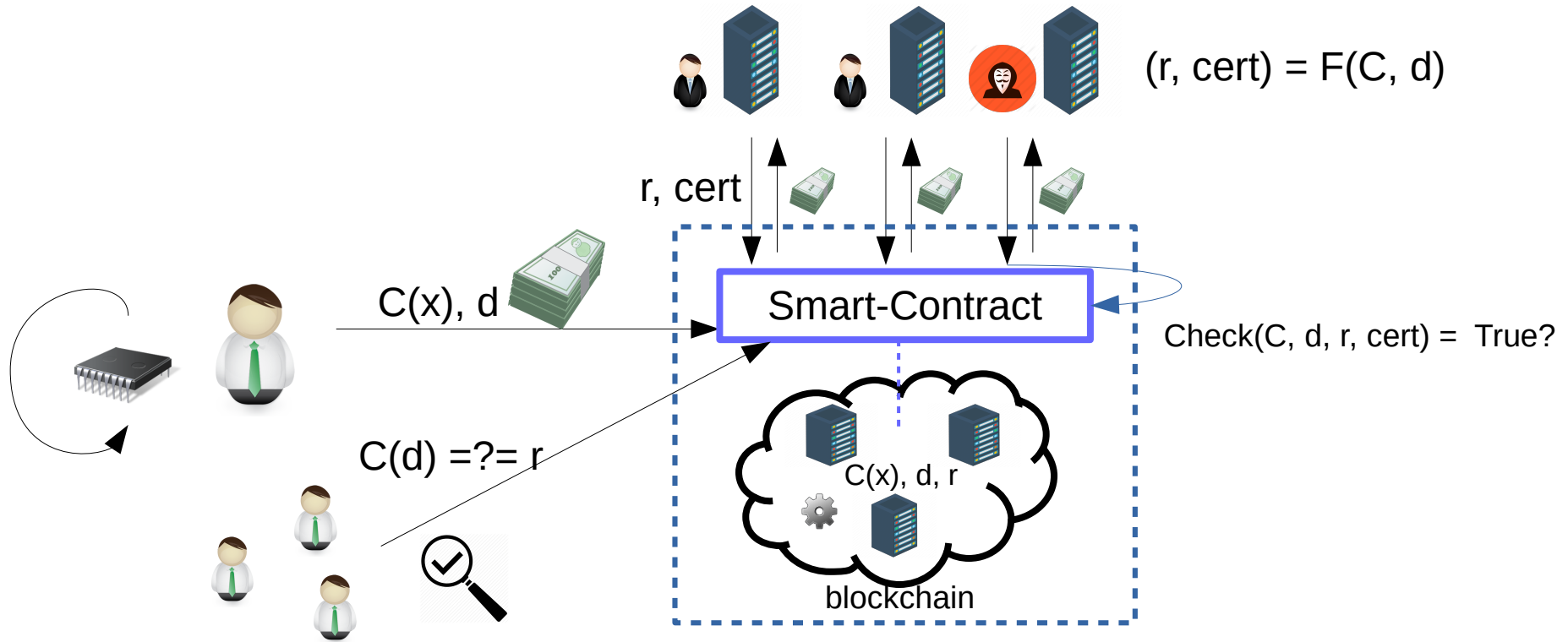
# Approaches

## Smart-contract on a blockchain

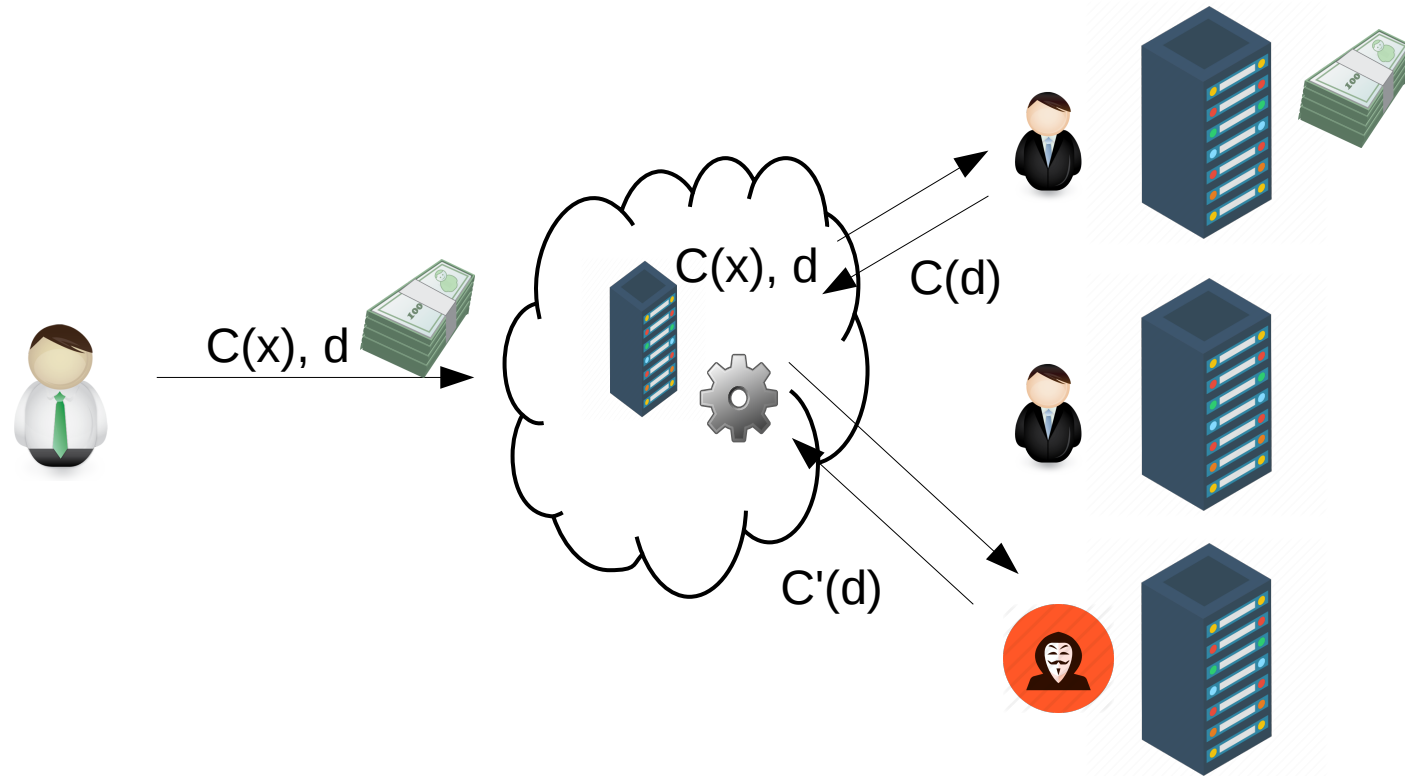


Smart-contracts on a public blockchain could solve the problem, but their computing ability is too low.

# Blockchain Protocol Sketch



# Basic Blockchain Protocol



# Trust Model

- We do not trust Computation Providers 'per se' (malicious actor, errors in computation, etc..)
- We do trust smart-contract, i.e. can inspect smart-contract logic
- All participants are rational, i.e. everything they do is motivated by an attempt to maximize their profit
- At least, 1 fair/correct motivated computation provider available in the system

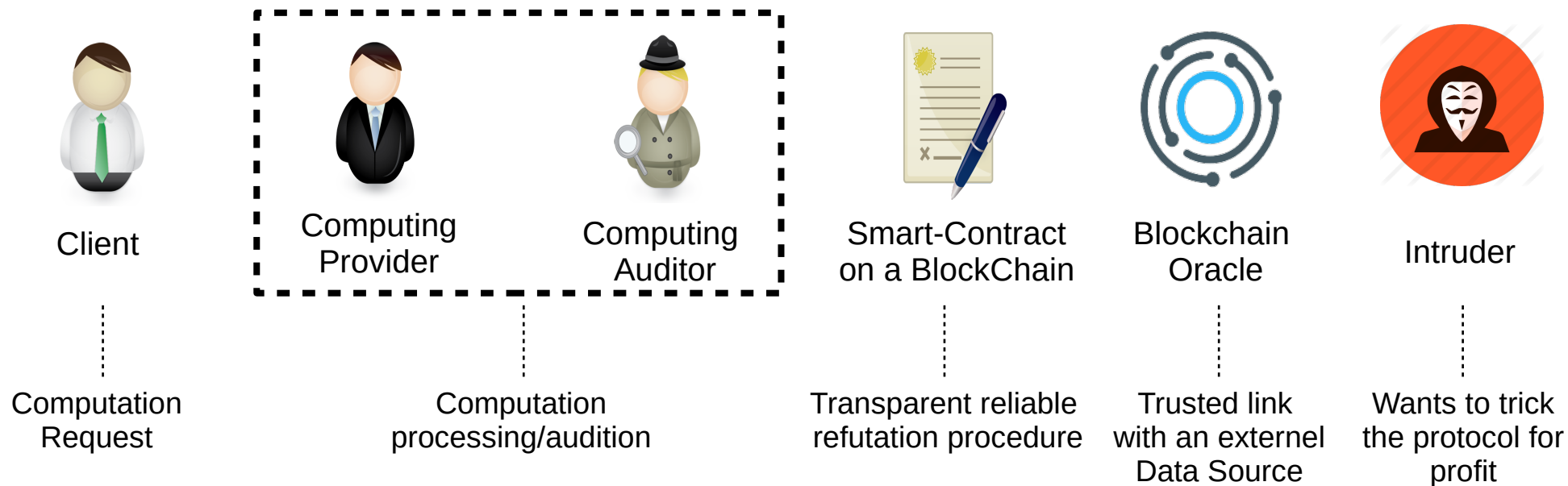


# Assumptions

- User program  $C(x)$  and initial data  $d$  is small enough to be placed into the blockchain
- Program result  $C(d)$  is small enough to be placed into the blockchain
- Program (i.e. function)  $C(x)$  is terminating

# SafeComp Protocol

## Protocol Participants



# Meet SafeComp

## Main ideas of the protocol

- User program  $C(x)$  is transformed into iterative function form  $f(x)$  , such that:

$$\text{proj } f (f (f ( \dots f ( \text{inj } (d) ) \dots )) = C(d)$$
$$\text{proj } ((\mathbf{fix} \ f) (\text{inj } d)) = C(d)$$

- Computation provider calculates values:
  - $c_1 = H(d)$
  - $c_{\{i + 1\}} = H(c_i * f(r_i))$
  - $H(x)$  - secure hash-function
- Values  $\langle c_1, c_2, \dots, c_k \rangle$  forms a verifiable certificate

# Meet SafeComp

## Main ideas of the protocol

- Computation providers take a problem  $f(x)$ , the point  $d$ , and compute result  $r = f(d)$  together with a certificate  $cert$
- Provider publishes computed pair  $\langle r, cert \rangle$  together with a guarantee deposit. Such provider is called *the solver*.
- Other computation providers that were late on submitting the answer (called *auditors* in this case), do the check of the result and the certificate
- If error is found, the refutation is sent into the smart-contract. The refutation consist of a triple:  $\langle c_{\{p-1\}}, c_p, r_{\{p-1\}} \rangle$

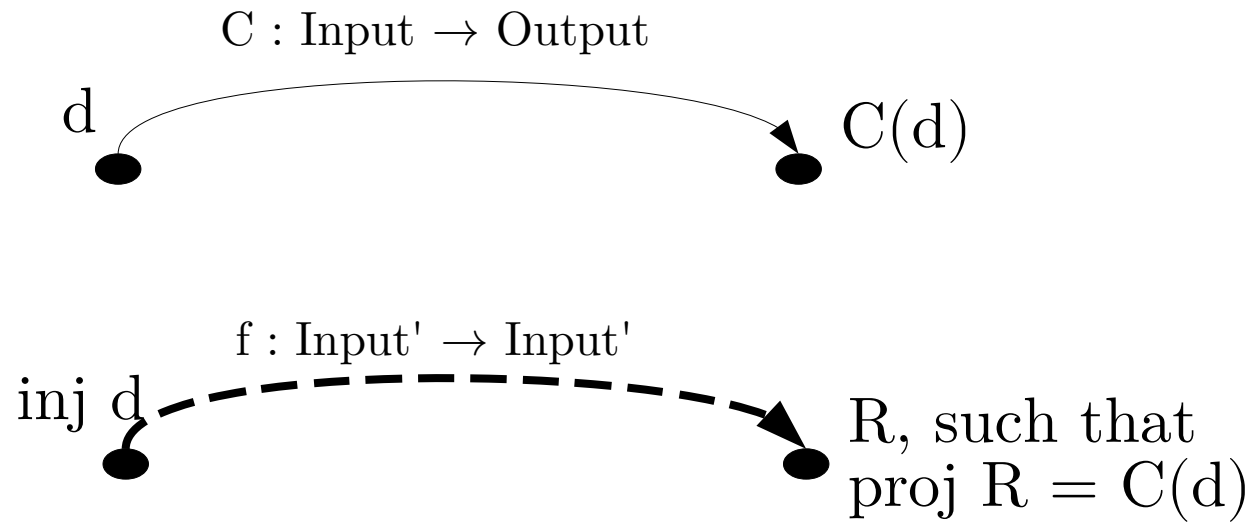


# Meet SafeComp

## Main ideas of the protocol

- Smart contract checks the refutation by performing only a single computation step  $c_p \stackrel{?}{=} H(c_{\{p-1\}} * f(r_{\{p-1\}}))$
- In case of refutation acceptance, the solver is punished by paying the guarantee deposit fee. The problem is moved back to 'published' state awaiting other solutions to be provided.
- At the end, all fair auditors and the final solver get compensated using the total deposit (initial user deposit + all guarantee deposits) of this computation task.

# SafeComp Protocol



# Function in Iterative Form

Non-iterative form:

```
fact [0] ->  
  1;  
fact [N] when N > 0 ->  
  N * fact [N-1] .
```

fact : Nat → Nat

Iterative form:

```
FactFP [{0, Acc}] ->  
  {0, Acc} ;  
FactFP [{N, Acc}] when N > 0 ->  
  {N - 1, Acc * N} .
```

factFP : Nat \* Nat → Nat \* Nat

inj(n) = { n, 1 };

proj({n, m}) = m

$\forall$ forall n . fact (n) == proj((fix factFP) (inj n))

# Function in Iterative Form

Non-iterative form:

```
C[1, _] -> 1;  
C[_ , 0] -> 1;  
C[N, N] -> 1;  
C[N, M] -> C[N-1, M] + C[N-1, M-1].
```

$C : \text{Nat} * \text{Nat} \rightarrow \text{Nat}$

Iterative form:

```
Cfp[{{[], Acc}}] -> {[[], Acc]};  
Cfp[{{[{1, _} | T], Acc}}] -> {T, 1 + Acc};  
Cfp[{{[{0, _} | T], Acc}}] -> {T, 1 + Acc};  
Cfp[{{[{N, N} | T], Acc}}] -> {T, 1 + Acc};  
Cfp[{{[{N, M} | T], Acc}}] ->  
    {[{N-1, M} | [{N-1, M-1} | T]], Acc}.
```

$Cfp : \text{list}(\text{Nat}) * \text{Nat} \rightarrow$   
 $\text{list}(\text{Nat}) * \text{Nat}$

$\text{inj}(\{n, m\}) = \{[\{n, m\}], 0\};$   
 $\text{proj}(\{_, \text{acc}\}) = \text{acc}$

# Related Works



**truebit**

<https://truebit.io>

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